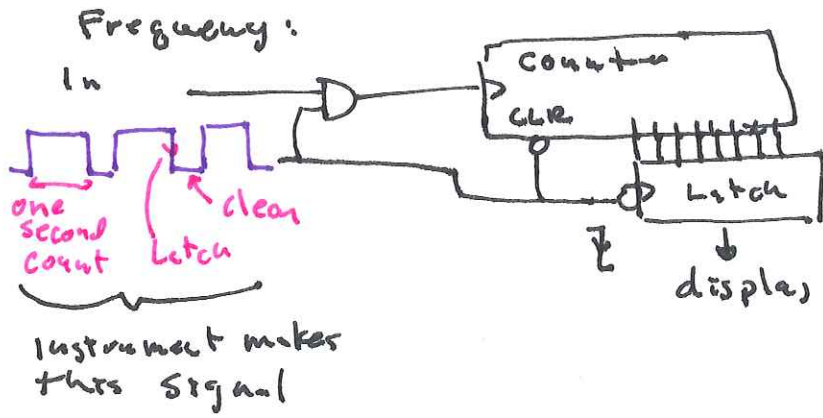
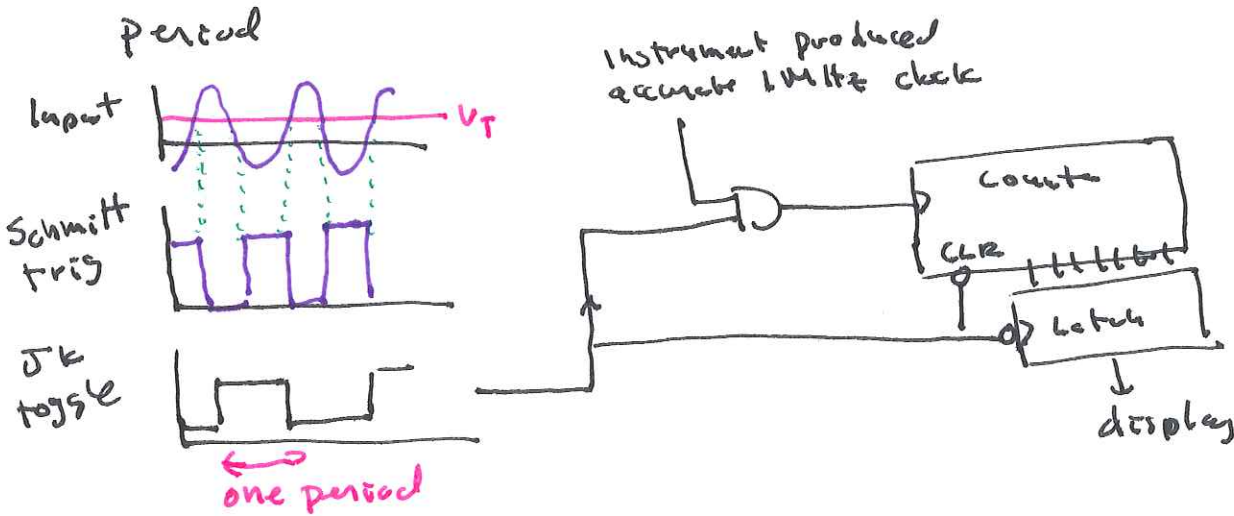


Frequency meters & Period meters share some basic design



Counter counts (starting at zero) while signal High;  $\downarrow$  latches that fixed count;  $\downarrow$  clears to restart count  
AND is gate thru which pulses arrive



## Digital to Analog Converters (DAC)

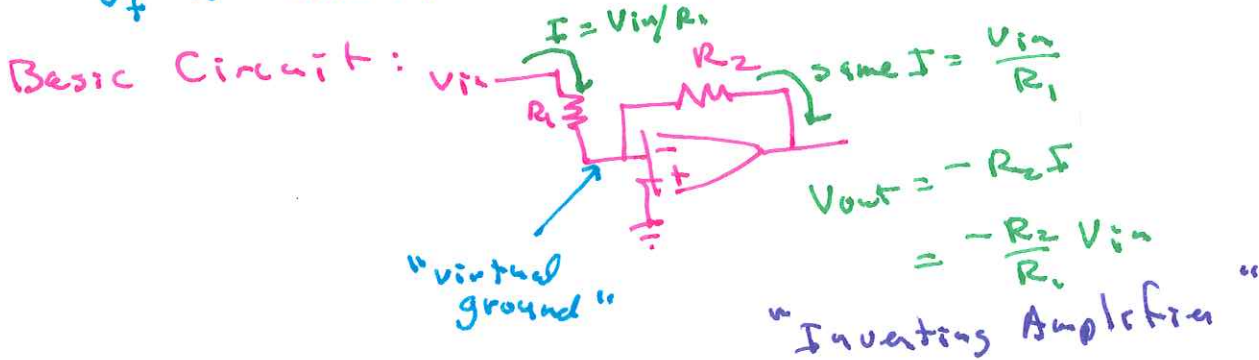
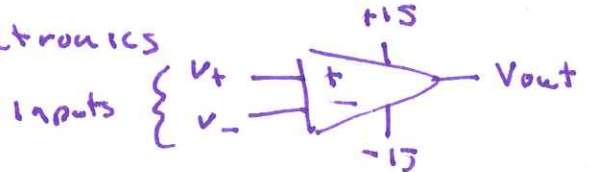
→ start with OpAmp ("Operational Amplifier") which will start in Analog Electronics

OpAmp Rules:

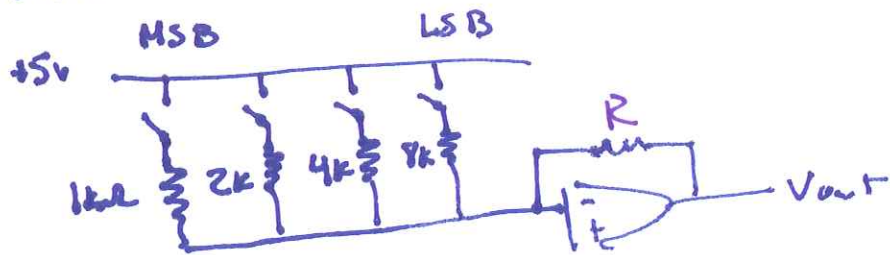
$V_+ \approx V_-$  do not eat current

$V_+ \approx V_-$  if operating correctly as  $V_{out} = 10^7(V_+ - V_-)$

but  $V_{out}$  limited to its supplies:  $\pm 15V$  so  $V_+$  is within a few parts-per-million of  $V_-$



## Basic DAC circuit:



the (in this case) 4 bit binary number closes or opens switches to +5V. If closed the current  $\frac{5V}{R}$  flows towards virtual ground and then around thru R producing  $V_{out} = -R I_{total}$

$$I_{total} = \frac{5V}{1k\Omega} \left( D + \frac{1}{2} C + \frac{1}{4} B + \frac{1}{8} A \right)$$

CMOS

Note: TTL controlled "switches" = transmission gate aka analog switch

Note 2: Not perfect switch - few  $\Omega$  resistance; may not be bipolar

Note 3: This circuit has problems as precision resistors are expensive

Note: Example: CD audio is stereo (2 channels) of 16 bits @ 44.1 kHz

↳ ie 64K → 15 ppm accurate resistor required

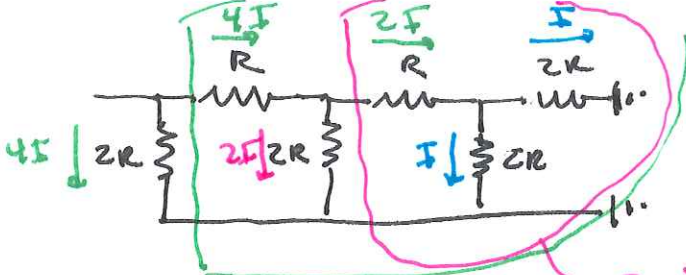
Tricky solution - use lots of resistors that are identical but not of any precise value.

R-2R Ladder:

use: 2 R resistors in series

starting point:  $2R \parallel 2R = R$

$$\text{as } \frac{(2R)(2R)}{(2R) + (2R)} = R$$



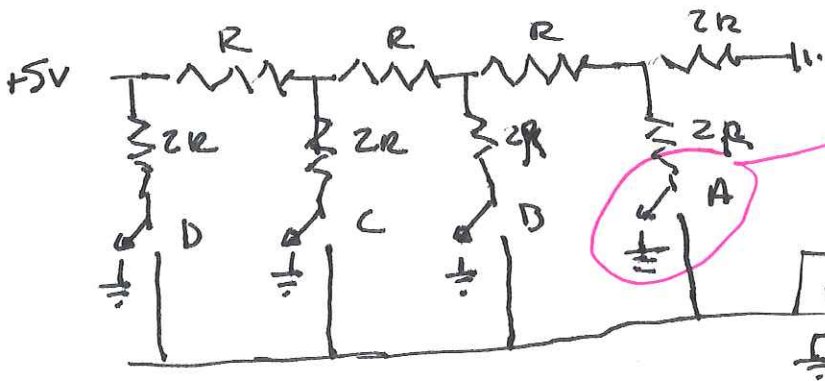
I: same volts same  $2R \Rightarrow$  same current

2I: current in = current out

is equivalent to  $2R$  so  $2I$  goes right must mean  $2I$  goes down

is equivalent to  $2R$  so  $4I$  goes right must mean  $4I$  goes down

Result: A system that produces currents exactly  $2^N I$  from identical but not precise  $R$ s. (Note: exact value of  $I$  will depend on  $R$ , thus the proportional constant between (digital in) & (voltage out) is not accurately known, but the proportionality between (digital in) & (voltage out) should be accurate — i.e. Fit between (voltage out) & (digital in) should be accurately linear but the slope is only approximately set.

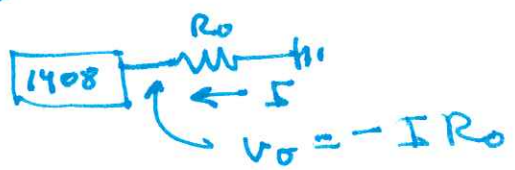


Analog switch direct current to ground on op amp according to value of digit

speed limited only by op amp

Note:  $R_o$  sets the overall scale of the output voltage and it is often an external component.

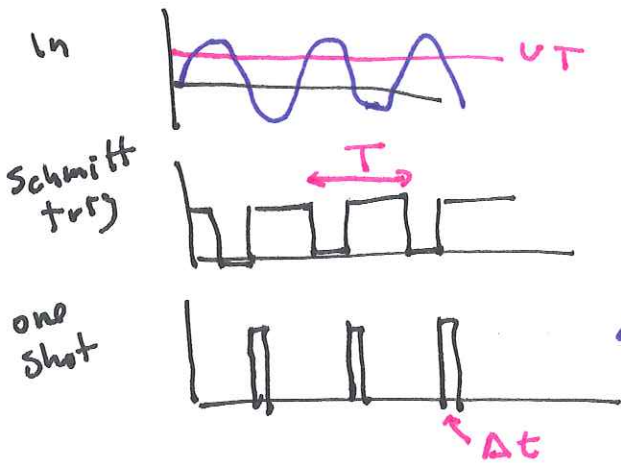
"Multiplying DAC" — 1408





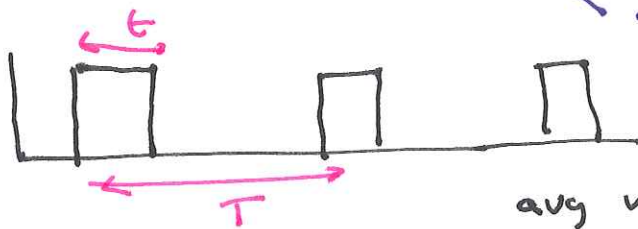
Other Digital  $\rightarrow$  Analog conversions

frequency  $\rightarrow$  voltage



$$\begin{aligned} \leftarrow \text{avg voltage out} &= +5V \frac{\Delta t}{T} \\ &= +5V \Delta t f \end{aligned}$$

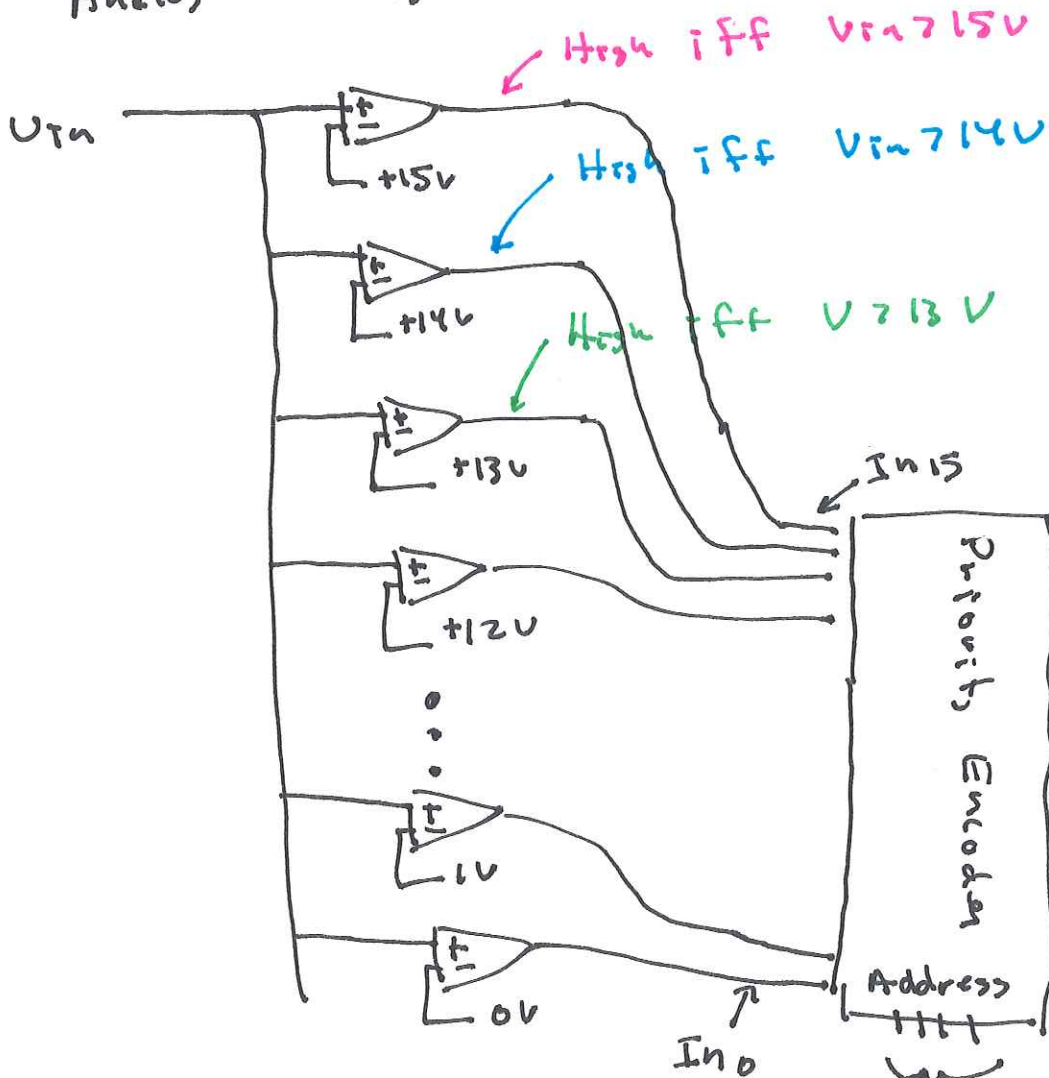
Pulse width modulation - fixed frequency; time high varies



$$\text{avg voltage out} = +5V \frac{t}{T}$$

a not uncommon way to transmit signal

# Analogy to Digital Conversion (ADC)

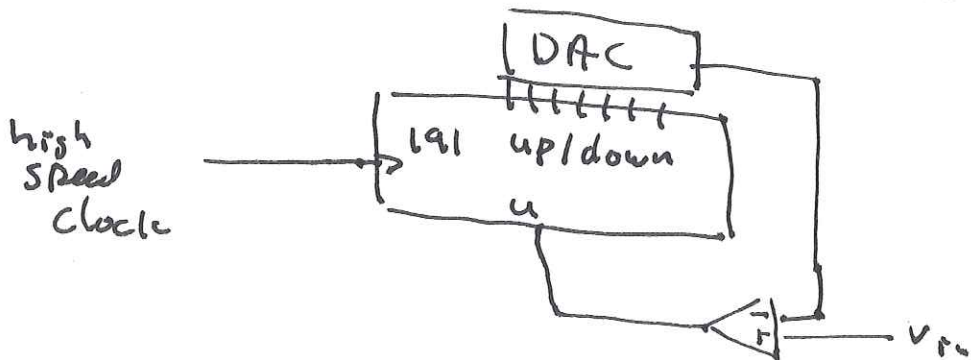


"Flash ADC"  
in Digital  
Scopes

→ another bit  
doubles the  
price.

output # of highest  
number in that is  
High

slower but less expensive: use feedback & control



if the DAC's output is below  $V_{in}$ , count up  
if DAC's output above  $V_{in}$ ; count down  
The value in the counter is the binary value  
of  $V_{in}$